
A simple and unique approach

in solving polynomial equations

-- *root 'r'* = $\frac{K}{Z}+(n-1)\frac{K}{Z}R$	*op-root 'r'* = $\frac{K}{Z}+(n-1)\frac{K}{Z}R$

New And Simple Methods Of Solving Polynomial Equations

(ALL REAL ROOTS)

(10 new theorems and many new definitions.)

PART -1 (M)

(Appendix)

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This is an appendix
to
‘NEW AND SIMPLE METHODS OF SOLVING POLYNOMIAL EQUATIONS’
(ALL REAL ROOTS)
PART - 1(M)

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Solving non-integer coefficient equation.

1. $X^3 + \frac{15}{2}X^2 + \frac{86}{9}X + \frac{10}{3} = 0$ equation ---------- 1.

$X^3 + 7.5X^2 + 9.5555X + 3.3333 = 0$ equation ---------- 2.

Assume, using my methods, we get the following answers.

The op-roots are

$r_1 = 0.6666$, $r_2 = 0.8333$, and $r_3 = 6$.

Remove all integer and irrational roots in the original equation (1) if any.

6	1	$\frac{15}{2}$	$\frac{86}{9}$	$\frac{10}{3}$
	0	6	9	$\frac{10}{3}$
	1	$\frac{3}{2}$	$\frac{5}{9}$	0

$$X^2 + \frac{3}{2}X + \frac{5}{9} = 0$$

Make a fraction where the numerator is F and the denominator is the big denominator of the coefficients. $= \frac{F}{9}$.

$r_1 = 0.6666$

$r_1 = \frac{F}{9} = 0.6666$

F = 5.9994

$\mathbf{r_1 = \frac{6}{9} = \frac{2}{3}}$,

$r_2 = \frac{F}{9}$ = 0.8333,

F = 7.4999

$\mathbf{r_1 = \frac{7.5}{9} = \frac{15}{18} = \frac{5}{6}}$,

The answers are verified and found correct.

The op-roots are

$$\mathbf{r_1 = \frac{2}{3}, \; r_2 = \frac{5}{6}, \text{ and } r_3 = 6.}$$

The roots are

$$\mathbf{r_1 = -- \left(\frac{2}{3}\right), \; r_2 = -- \left(\frac{5}{6}\right), \text{ and } r_3 = -- 6.}$$

Some more examples with details, in **PART2.**
